#### (18) **Today**

6.2 Kinetics

6.3 Enzyme Kinetics

(20) Second Class from Today

6.5 Enzymatic Mechanisms

Next Class (19)

6.3 Enzyme Kinetics

6.4 Enzyme Inhibition

Third Class from Today (21) Chap 7: Carbohydrates

## Monday office hours rescheduled to 1:10 to 2:10 from now on.

Please rework\* on a separate piece of paper test 1 and hand in on Friday, March 21

Test 2 postponed to Wednesday, April 2

$$A \xrightarrow{k_1}_{k_2} P \qquad A \xrightarrow{k_1}_{k_2} P$$
Fate with respect to  $[A]$ ?  

$$a \text{ because this is the rate of which As}$$

$$\frac{d[A]}{dt} = -k_1[A] + k_2[P] \text{ being mode from } P$$

$$\frac{d(A)}{dt} = -k_1[A] + k_2[P] \text{ being mode from } P$$

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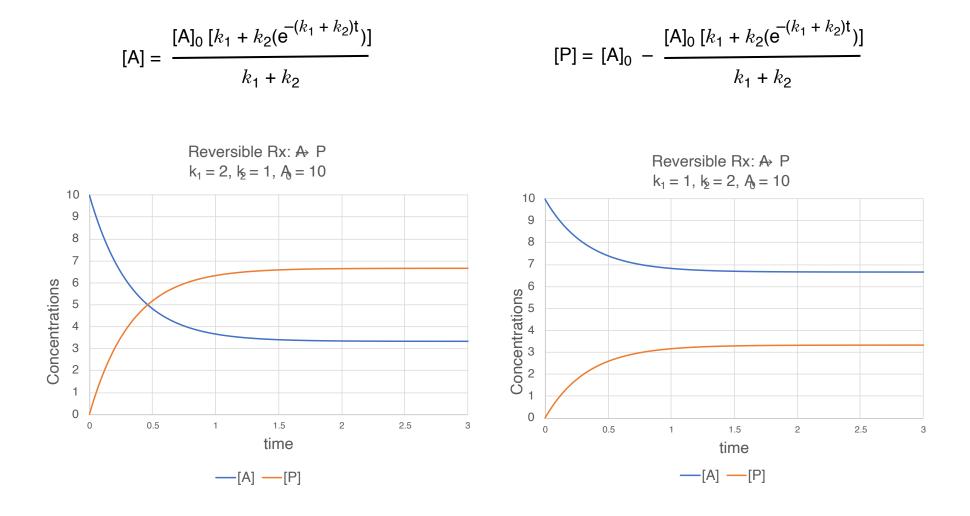
$$\frac{d(A)}{dt} = -k_1[A] + k_2[P] \text{ being mode from } P$$

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$$\frac{d(A)}{dt} = -k_1[A] + k_2[P] + k_2[P] + k_2[P]$$



https://bio.libretexts.org/Bookshelves/Biochemistry/Fundamentals\_of\_Biochemistry\_(Jakubowski\_and\_Flatt)/01:\_Unit\_I-\_Structure\_and\_Catalysis/ 06:\_Enzyme\_Activity/6.02:\_Kinetics\_without\_Enzymes

$$\frac{d[A]}{dt} = -k, [A]$$

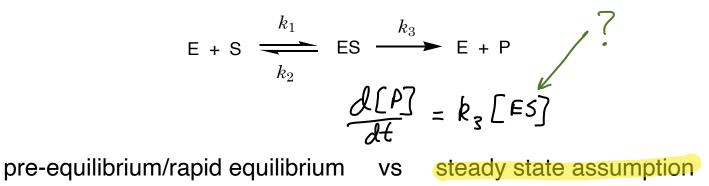
$$B \to C$$

$$C \to$$

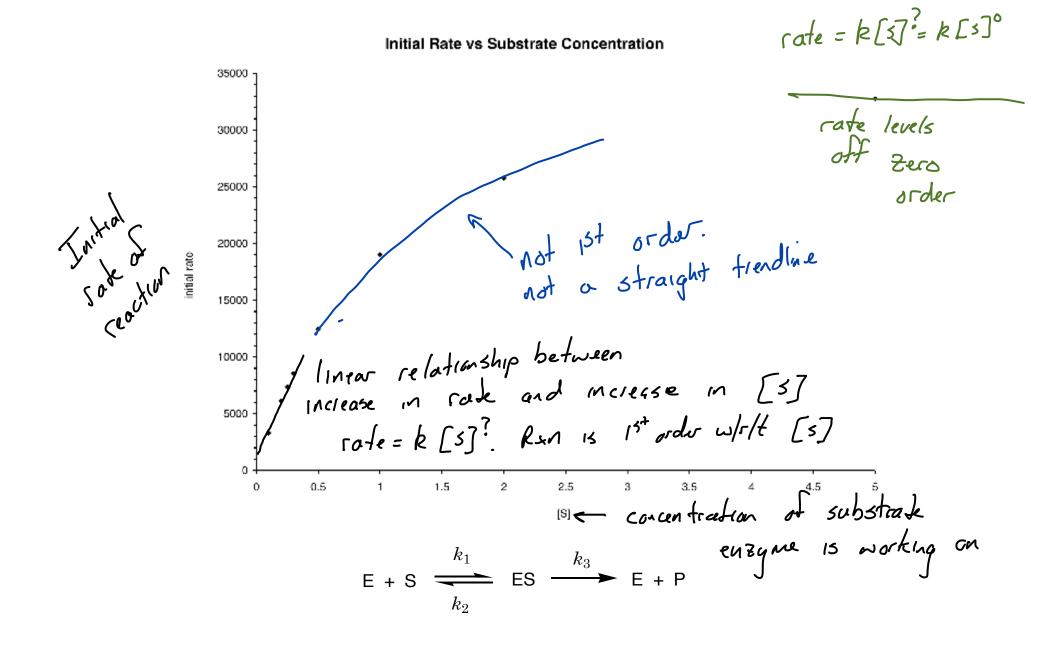
$$\frac{d[C]}{dt} = k_{\lambda} [B]$$

rate law is rate constant times clumical that acts as the reactant to form the product

## **Enzyme Kinetics**



- 1. binding of substrate to enzyme is fast and reversible, and product formation  $k_3$  is the rate limiting step. This is referred to as the pre-equilibrium condition
- 2. the rate at which the ES complex is formed is equal to the rate at which it is consumed.This is referred to as the steady state assumption.



6.3.2

$$E + S \xrightarrow{k_1}_{k_2} ES \xrightarrow{k_3}_{k_3} E + P$$
rate =  $k_3[ES]$ 
rate =  $k_3[ES]$ 
rate of consumption
But what is [ES]? The steady state assumption is employed to solve for [ES]...
But what is [ES]? The steady state assumption is employed to solve for [ES]...
$$k_1[E][S] = k_3[ES] + k_2[ES]$$
rate of which rate of which is consumed
rate of which ES forms
rate of which is converted back to
ES is converted is converted back to
E + S

We rearrange to find [ES] in terms of things we can measure, [E] and [S]... formed (+) consumed (-) consumed (-)

$$\frac{d[E^{s}]}{dt} = 0 = k[E][s] - k_{s}[ES] - k_{s}[ES]$$

$$\frac{d[E^{s}]}{dt} = 0 = k[E][s] - k_{s}[ES] - k_{s}[ES] + k_{s}[ES]$$

$$\frac{k_{s}[E^{s}]}{k_{s}[E^{s}]} = k_{s}[E^{s}] - k_{s}[E^{s}] + k_{s}[E^{s}]$$

$$\frac{k_{s}[E^{s}]}{k_{s}[E^{s}]} = k_{s}[E^{s}] - k_{s}[E^{s}] + k_{s}[E^{s}]$$

$$\frac{k_{s}[E^{s}]}{k_{s}[E^{s}]} + k_{s}[E^{s}] = k_{s}[E^{s}] + k_{s}[E^{s}]$$

6.3.2

$$E + S \xrightarrow{k_1} ES \xrightarrow{k_3} E + P$$
rate =  $k_3[ES]$ 
rate =  $k_3[ES]$ 
But what is [ES]? The steady state assumption is employed to solve for [ES]...
rate of which ES forms
rate ad which
ES forms
rate ad which
ES is converted
is converted back to
 $F + S$ 
We rearrange to find [ES] in terms of things we can measure, [E] and [S]...
 $k_1 [E][S] = (k_3 + k_2)[ES]$ 
 $k_1 [E][S] = [ES]$ 

•

6.3.2

$$E + S \xrightarrow{k_1} ES \xrightarrow{k_3} E + P$$

$$rate = k_3 [ES]$$

$$[ES] = \frac{k_1}{k_3 + k_2} [E][S] = 2 [ES] = \frac{1}{k_m} [E][S]$$

That's a lot of k's... lets make a new term...

$$K_{m} = (k_{3} + k_{2})/k_{1} k_{consume}/k_{form} \qquad \underbrace{k_{3} + \ell_{2}}_{k_{1}}$$

OK, so now what... Well, what exactly is [E]? It's not the total amount of enzyme added... substituting this in for this an  $\frac{1}{K_m}$  in for  $\frac{k_1}{k_2 \cdot k_2}$  gives rate =  $\frac{k_3}{K_m}$  [E][s] Substitute new term for [E] into equation for [ES] and solve for [ES]... total and of enzyme added fire enzyme in complet  $[E]_T = [E] + [ES]$  $[E]_T = [E]_T - [ES]$ 

rate =  $k_3$ [ES] [ES] =  $k_1/(k_3 + k_2)$  [E][S] K<sub>m</sub> =  $(k_3 + k_2)/k_1 k_{consume}/k_{form}$ 

 $[ES] = [E]_T [S]/(K_m + [S])$ 

Which finally gets us to the rate law...

# Enzyme Kinetics: Compare the Rate law to the Plot

rate =  $k_3[E]_T [S]/(K_m + [S])$ 



